

Package ‘varSelectIP’

July 2, 2014

Type Package

Title Objective Bayes Model Selection

Version 0.2-1

Date 2013-10-28

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Depends MASS, mvtnorm

Description Objective Bayes Variable Selection in Linear Regression and Probit Models.

License GPL (>= 2)

LazyData yes

NeedsCompilation no

Repository CRAN

Date/Publication 2013-10-31 07:42:57

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varSelectIP-package *Objective Bayes Model Selection*

Description

This package carries out objective Bayes model selection in probit and regression models.

Details

Package: varSelectIP
Type: Package
Version: 0.2-1
Date: 2013-10-29
License: GPL (>=2)
LazyLoad: yes

There are now two user functions in this package: varSelectIP() and varSelectOBayeslinear(). The former is the original package functions used for linear and probit models. The latter is a new function that replaces the former for linear regression models as well as provides posterior inference for regression parameters.

Author(s)

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See Also

[varSelectIP](#) [varSelectOBayeslinear](#)

varSelectIP *Objective Bayes Model Selection*

Description

This function will carry out a low-dimensional stochastic search in order to determine the “best” model, as measured by its posterior probability. The types of model that this function can handle are probit and regression models. For full details on the model set-up and the stochastic search, please refer to the papers listed below.

Usage

```
varSelectIP(response, covariates.retain = NULL, covariates.test, nsim,  
            keep, q, a = 0.2, model.type = c("probit", "reg"),  
            save.every = 50, out.fname = "models.csv")
```

Arguments

response	The vector of response values. If a probit model, this should be a binary vector with the 0's coming before the 1's.
covariates.retain	A matrix or a vector containing the covariates that should always be retained when searching through all possible models.
covariates.test	A matrix or a vector containing all the covariates that should be taken into consideration when searching through all possible models.
nsim	The number of iterations of the stochastic search to run through.
keep	The final number of models to report, along with their Bayes Factors.
q	The maximum number of covariates to be included in each model considered. These covariates will be chosen out of those in covariates.test above.
a	The probability with which the entire set of active coefficients are re-drawn. See page 12 of reference (2) for more details.
model.type	This has to be either "probit" or "reg", specifying the type of model to be fit.
save.every	Specifies how often the models should be written out to a .csv file. This allows a user to monitor progress of models found and to prevent loss of effort in the case of power failure, etc.
out.fname	The name of the .csv file to save models to.

Value

A table containing the top models found is returned. Each row in the table represents a model. A 1 within a row indicates that that covariate, from within the covariates defined by covariates.test, is included in the model. A 0 indicates that that particular covariate is left out of the model. The last column contains the Bayes Factor from comparing the specified model against the intercept-only model.

Author(s)

Gopal, V. and Novelo, L. L. and Casella, G.

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References

Casella, G. and Giron, F.J. and Martinez, M.L. and Moreno, E. (2009) Consistency of Bayesian Procedures for Variable Selection. *_Annals of Statistics_*, *37*, 1207 - 1228.

Leon-Novelo, L. and Moreno, E. and Casella, G. (2010) Objective Bayes Model Selection in Probit Models. <http://www.stat.ufl.edu/~casella/Papers>

Examples

```

n <- 20 # number of observations
p <- 6 # total number of covariates
set.seed(0)

gene_expression <- matrix(runif(n*p)*4,nrow=n,ncol=p)
age <- sample(20:40,n,replace=TRUE)

truth_betavector <- c(-0.1, -.01, 1, -1, rep(0,p+2-4))
design <- cbind(1, age, gene_expression) # sets up the entire design matrix.

# Simulating the z-values and y-values and setting up the data-frame
y_tmp <- apply(design, 1, function(xi){rnorm(n=1, sum(xi * truth_betavector))})
y <- y_tmp[order(y_tmp)]
x <- design[order(y_tmp), -c(1:2)]
n0 <- sum(y<0)
n1 <- n-n0
z <- c(rep(0,n0),rep(1,n1))
mydata <- cbind(z, y, age, x)
colnames(mydata)<-c("z", "y", "age", paste("GE",1:p,sep=""))

# Linear regression function call:
varSelectIP(a=0.2, keep=32, covariates.retain=mydata[,3], model.type="reg",
            q=5, covariates.test=mydata[,4:9], response=mydata[,2], nsim=25)

##NOT RUN
# Probit regression function call:
#varSelectIP(a=0.2, keep=2, covariates.retain=mydata[,3], model.type="probit",
#            q=3, covariates.test=mydata[,4:7], response=mydata[,1], nsim=2)

```

varSelectOBayeslinear *Objective Bayes Model Selection and inference for Linear Models using mixtures of g-priors*

Description

This function carries out a random walk in order to determine the best model, as measured by its posterior probability. The types of models that this function can handle are linear regression models with homoscedastic, independent errors. For full details on the model set-up and the random walk, please refer to the paper listed below.

Usage

```

varSelectOBayeslinear(y,X,X0,
type='IP',prior.par,EFF=TRUE,
model.prior.type='Beta-Binomial',model.prior.par=c(1,1),
RWflag=TRUE,N.draws=10^4,shuf=.2,start,RWpropflag=FALSE,
inference='both',alpha=0.05,m.considered=100)

```

Arguments

y	The vector of response values.
X0	A matrix containing the covariates that should always be retained when searching through all possible models. These constitute the base model.
X	A matrix containing all the covariates that should be taken into consideration when searching through all possible models. These constitute the test covariates.
type	The kind of prior used to compute Bayes' Factors, taking the values 'NP', 'IP', 'ZS', or 'HG' for normal prior, intrinsic prior, Zellner-Siow prior, or hyper g-prior. For the hyper g-prior, the prior on $w=1/g$ is taken to be proportional to $w^{(-.5)*(b+w)^{(a+1)/2}}$.
prior.par	The parameter of the g-prior, when appropriate. The intrinsic and Zellner-Siow priors have no parameters. The normal prior has parameter $w=1/g$, defaulting to 1. The hyper g, has parameter (a,b), defaulting to (2,1).
EFF	A 0-1 variable denoting whether the prior precision for the coefficients of a model should be scaled by the number of covariates. Defaults to TRUE and a model with p covariates is scaled by $(p+1)/n$, if FALSE each model is scaled by $1/n$.
model.prior.type	The type of probability distribution for the model space, taking values 'Beta-Binomial', 'Binomial', or 'Uniform'. The binomial and beta-binomial priors are formed by putting a Bernoulli(p) prior on inclusion, with the beta-binomial placing a Beta(a,b) prior on p.
model.prior.par	Parameter for the model space prior. For the binomial case it is $0 < p < 1$, defaulting to 0.5. For the beta-binomial case it is $0 < a, b$, defaulting to (1,1).
RWflag	A 0-1 variable denoting whether to do a random walk (TRUE, the default) or enumerate the models (FALSE).
N.draws	The number of simulations for the random walk, defaults to 10000.
shuf	The percentage of times that the random walk kernel takes an independent draw from the prior, defaults to 0.2.
start	The starting model for the random walk. Must be either a vector of 0s and 1s whose length is the number of test covariates, a collapsed string of such 0s and 1s, or a vector of column numbers.
RWpropflag	A 0-1 variable denoting whether to compute posterior probabilities by sample averages (TRUE) or by renormalization (FALSE, the default).
inference	A variable taking value of 'both' (the default), 'selected', 'averaged', or 'none' denoting the kind of posterior credible sets to compute for the regression coefficients. All sets computed are quantile based.
alpha	The level for (1-alpha) credible sets.
m.considered	The number of models to keep in order to for credible sets under model averaging. If $0 < m.considered \leq 1$, this denotes keeping the top models that produce at least m.considered total posterior probability.

Value

gamma	Binary strings of the considered models ordered by their posterior probabilities.
p	The number of covariates (including base covariates) in the considered models.
logPrior	The log of the prior probabilities of the considered models.
Rsquared	The coefficients of determination for the considered models.
logB	The log of the Bayes factors of the considered models to the base model.
prob	The posterior probabilities of the considered models.
selected.model	The binary string of the selected model.
selected.model.prob	The posterior probability of the selected model.
prob0	The posterior probabilities that each regression coefficient is 0.
means	A matrix with two columns. The first is the model averaged posterior means of the regression coefficients. The second is the posterior mean conditioned on the selected model.
credsets.selected	Quantile based credible sets for the selected model. This is a matrix with rows for the regression coefficients and columns for upper and lower bounds.
credsets.averaged	Quantile based credible sets under model averaging. This is a list with an element for each regression coefficient. The elements of the list are themselves lists containing the intervals of the credible set and the posterior probabilities of the intervals. The credible sets comprise an open interval and possibly a point mass at 0.
resides	A matrix with two columns. The first column is the residuals from the model averaged mean. The second column is the residuals from the mean conditioned on the selected model.

Author(s)

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References

Womack, A. J. and Leon-Novelo, L. L. and Casella, G. (2013) Inference from Intrinsic Bayes' Procedures Under Model Selection and Uncertainty <http://www.stat.ufl.edu/~ajwomack/WNC-IP.pdf>

Examples

```
n <- 20 # number of observations
p <- 6 # total number of covariates

gene_expression <- matrix(runif(n*p)*4,nrow=n,ncol=p)
age <- sample(20:40,n,replace=TRUE)
```

```
truth_betavector <- c(-0.1, -.01, 1, -1, rep(0,p+2-4))
design <- cbind(c(1), age, gene_expression) # sets up the entire design matrix.

# Simulating the y-values and setting up the data-frame
y <- apply(design, 1, function(xi){rnorm(n=1, sum(xi * truth_betavector))})
X <- design[, -c(1:2)]
X0<-design[,1:2]

# Linear regression function call:
varSelectOBayeslinear(y,X,X0,RWflag=FALSE,m.considered=.99)
```

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