

Package ‘lba’

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Title Latent Budget Analysis for Compositional Data

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Depends R (>= 3.1.2), MASS, alabama, plotrix, ca

Description

Latent budget analysis is a method for the analysis of a two-way contingency table with an exploratory variable and a response variable. It is specially designed for compositional data.

Encoding latin1

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goodnessfit

*Goodness of Fit results for Latent Budget Analysis***Description**

The goodness of fit results assesses how well the model fits the data. It consists of measures of the resemblance between the observed and the expected data, and the parsimony of the model.

Usage

```
goodnessfit(object)
```

Arguments

object	An object of one of following classes: <code>lba.ls</code> , <code>lba.ls.fe</code> , <code>lba.ls.logit</code> , <code>lba.mle</code> , <code>lba.mle.fe</code> , <code>lba.mle.logit</code>
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Value

The `goodnessfit` function to the method `lba.mle`, `lba.mle.fe` and `lba.mle.logit` returns a list with the slots:

<code>dfdb</code>	Degrees of freedom of the base model
<code>dfd</code>	Degrees of freedom of the full model
<code>G2b</code>	Likelihood ratio statistic of the base model
<code>G2</code>	Likelihood ratio statistic of the full model
<code>chi2b</code>	Chi-square statistic of the base model
<code>chi2</code>	Chi-square statistic of the full model
<code>proG1</code>	P-value of likelihood ratio statistic of the base model
<code>proG</code>	P-value of likelihood ratio statistic of the full model
<code>prochi1</code>	P-value of chi-square statistic of the base model
<code>prochi</code>	P-value of chi-square statistic of the full model
<code>AICb</code>	AIC criteria of the base model
<code>AICC</code>	AIC criteria of the full model
<code>BICb</code>	BIC criteria of the base model
<code>BICC</code>	BIC criteria of the full model
<code>CAICb</code>	CAIC criteria of the base model
<code>CAIC</code>	CAIC criteria of the full model
<code>delta1</code>	Normed fit index
<code>delta2</code>	Normed fit index modified
<code>rho1</code>	Bollen index

rho2	Tucker-Lewis index
RSS1	Residual sum of square of the base model
RSS	Residual sum of square of the full model
impRSS	Improvement of RSS
impPB	Improvement per budget
impDF	Average improvement per degree of freedom
D1	Index of dissimilarity of the base model
D	Index of dissimilarity of the full model
pccb	Proportion of correctly classified data of the base model
pcc	Proportion of correctly classified data of the full model
impD	Improvement of proportion of correctly classified data
impPCCB	Improvement of Proportion of correctly classified data per budget
AimpPCCDF	Average improvement of Proportion of correctly classified data per degree of freedom
mad1	Mean angular deviation of the base model
madk	Mean angular deviation of the full model
impMad	Improvement mean angular deviation
impPBsat	Improvement mean angular deviation per budget
impDFsat	Average improvement mean angular deviation per degree of freedom

The `goodnessfit` function to the method `lba.ls`, `lba.ls.fe` and `lba.ls.logit` returns a list with the slots:

dfdb	Degrees of freedom of the base model
dfd	Degrees of freedom of the full model
RSS1	Residual sum of square of the base model
RSS	Residual sum of square of the full model
impRSS	Improvement of RSS
impPB	Improvement per budget
impDF	Average improvement per degree of freedom
wRSS1	Weighted residual sum of square of the base model
wRSS	Weighted residual sum of square of the full model
impwRSS	Improvement of wRSS
D1	Index of dissimilarity of the base model
D	Index of dissimilarity of the full model
pccb	Proportion of correctly classified data of the base model
pcc	Proportion of correctly classified data of the full model
impD	Improvement of proportion of correctly classified data
impPCCB	Improvement of Proportion of correctly classified data per budget

AimpPCCDF	Average improvement of Proportion of correctly classified data per degree of freedom
mad1	Mean angular deviation of the base model
madk	Mean angular deviation of the full model
impMad	Improvement mean angular deviation
impPBsat	Improvement mean angular deviation per budget
impDFsat	Average improvement mean angular deviation per degree of freedom

Note

For a detailed and complete discussion about goodness of fit results for latent budget analysis, see van der Ark 1999.

References

Agresti, Alan. 2002. *Categorical Data Analysis, second edition*. Hoboken: John Wiley & Sons.
 van der Ark, A. L. 1999. *Contributions to Latent Budget Analysis, a tool for the analysis of compositional data*. Ph.D. Thesis University of Utrecht.

See Also

[print.goodnessfit](#), [lba](#)

Examples

```
data('votB')

# Using LS method (default) without constraint
# K = 2
ex1 <- lba(city ~ parties,
           votB,
           K = 2)

gx1 <- goodnessfit(ex1)
gx1

# Using MLE method without constraint
# K = 2
exm <- lba(city ~ parties,
           votB,
           K = 2,
           method='mle')

gxm <- goodnessfit(exm)
gxm
```

Latent Budget Analysis

Latent Budget Analysis (LBA) for Compositional Data

Description

Latent budget analysis (LBA) is a method for the analysis of contingency tables, from where the compositional data is derived. It is used to understand the relationship between the table rows and columns, where the rows denote the categories of the explanatory variable and the columns denote the categories of the response variable.

Details

The row vectors of the compositional data are called observed budgets which are approximated by the expected budgets. The LBA allows us to find which categories of the response are related to different groups of the explanatory categories. If the table has a product multinomial distribution we can understand the latent budget model (LBM) as explaining the relationship between the explanatory and the response variables assuming that conditioned on the latent variable they are independent. In that sense, the latent budgets, which are categories of a latent variable, are hidden values which explain the relationship between the explanatory and response variables. LBA reduce the dimensionality of the original problem, thus making it easier to understand its hidden relations.

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lba

Latent Budget Analysis (LBA) for Compositional Data

Description

Latent budget analysis (LBA) is a method for the analysis of contingency tables, from where the compositional data is derived. It is used to understand the relationship between the table rows and columns, where the rows denote the categories of the explanatory variable and the columns denote the categories of the response variable.

Usage

```
lba(obj, ...)  
  
## S3 method for class 'matrix'  
lba(obj,  
     A      = NULL,
```

```

B          = NULL,
K          = 1L,
cA         = NULL,
cB         = NULL,
logitA     = NULL,
logitB     = NULL,
omsk       = NULL,
psitk      = NULL,
S          = NULL,
T          = NULL,
row.weights = NULL,
col.weights = NULL,
tolG       = 1e-10,
tolA       = 1e-05,
tolB       = 1e-05,
itmax.unide = 1e3,
itmax.ide  = 1e3,
trace.lba  = TRUE,
toltype    = "all",
method     = c("ls", "mle"),
what       = c("inner","outer"), ...)

```

```
## S3 method for class 'table'
```

```

lba(obj,
  A          = NULL,
  B          = NULL,
  K          = 1L,
  cA         = NULL,
  cB         = NULL,
  logitA     = NULL,
  logitB     = NULL,
  omsk       = NULL,
  psitk      = NULL,
  S          = NULL,
  T          = NULL,
  row.weights = NULL,
  col.weights = NULL,
  tolG       = 1e-10,
  tolA       = 1e-05,
  tolB       = 1e-05,
  itmax.unide = 1e3,
  itmax.ide  = 1e3,
  trace.lba  = TRUE,
  toltype    = "all",
  method     = c("ls", "mle"),
  what       = c("inner","outer"), ...)

```

```
## S3 method for class 'formula'
```

```
lba(formula, data,
    A          = NULL,
    B          = NULL,
    K          = 1L,
    cA         = NULL,
    cB         = NULL,
    logitA     = NULL,
    logitB     = NULL,
    omsk       = NULL,
    psitk      = NULL,
    S          = NULL,
    T          = NULL,
    row.weights = NULL,
    col.weights = NULL,
    tolG       = 1e-10,
    tolA       = 1e-05,
    tolB       = 1e-05,
    itmax.unide = 1e3,
    itmax.ide  = 1e3,
    trace.lba  = TRUE,
    toltypes   = "all",
    method     = c("ls", "mle"),
    what       = c("inner", "outer"), ...)
```

```
## S3 method for class 'ls'
```

```
lba(obj,
    A          ,
    B          ,
    K          ,
    row.weights ,
    col.weights ,
    tolA       ,
    tolB       ,
    itmax.unide ,
    itmax.ide  ,
    trace.lba  ,
    what       , ...)
```

```
## S3 method for class 'mle'
```

```
lba(obj,
    A          ,
    B          ,
    K          ,
    tolG       ,
    tolA       ,
    tolB       ,
    itmax.unide ,
    itmax.ide  ,
```

```
    trace.lba ,
    tolype   ,
    what     , ...)

## S3 method for class 'ls.fe'
lba(obj,
     A      ,
     B      ,
     K      ,
     cA     ,
     cB     ,
     row.weights ,
     col.weights ,
     itmax.ide ,
     trace.lba , ...)

## S3 method for class 'mle.fe'
lba(obj,
     A      ,
     B      ,
     K      ,
     cA     ,
     cB     ,
     tolG   ,
     tolA   ,
     tolB   ,
     itmax.ide ,
     trace.lba ,
     tolype , ...)

## S3 method for class 'ls.logit'
lba(obj,
     A      ,
     B      ,
     K      ,
     cA     ,
     cB     ,
     logitA ,
     logitB ,
     omsk   ,
     psitk  ,
     S      ,
     T      ,
     row.weights ,
     col.weights ,
     itmax.ide ,
     trace.lba , ...)
```



```
## S3 method for class 'mle.logit'
lba(obj,
     A      ,
     B      ,
     K      ,
     cA     ,
     cB     ,
     logitA ,
     logitB ,
     omsk   ,
     psitk  ,
     S      ,
     T      ,
     itmax.ide ,
     trace.lba , ...)
```

Arguments

obj, formula	The function is generic, accepting some forms of the principal argument for specifying a two-way frequency table. Currently accepted forms are matrix, data frame (coerced to frequency tables), objects of class "xtabs" or "table" and one-sided formulae of the form $\text{Row1} + \text{Row2} + \dots + \text{Rown} \sim \text{Col1} + \text{Col2} + \dots + \text{Coln}$, where Rown and Coln are nth row (the mixing parameters) and column variable (the latent components).
data	A data frame containing variables in formula.
A	The starting value of a (I x K) matrix containing the mixing parameters, if given. The default is NULL, producing random starting values.
B	The starting value of a (J x K) matrix containing the latent components, if given. The default is NULL, producing random starting values.
K	Integer giving the number of latent budgets chosen by the user. The default is 1.
cA	The value of a (I x K) matrix containing the constraints on the mixing parameters. Fixed constraints are the values themselves which are numbers in the [0,1] interval. The optional equality constraints are indicated by an integer starting from 2, such that parameters that must be equal have the same integer. The default is NULL, indicating no constraints.
cB	The value of a (J x K) matrix containing the constraints on the latent components. Fixed constraints are the values themselves which are numbers in the [0,1] interval. The optional equality constraints are indicated by an integer starting from 2, such that parameters that must be equal have the same integer. The default is NULL, indicating no constraints.
logitA	Design (IxS) matrix for row-covariates. The first column contains 1's, indicating a constant covariate. The entries may be continuous or dummy coded values.
logitB	Design (JxT) matrix for column-covariates. The entries may be continuous or dummy coded values.
omsk	A (SxK) matrix giving the starting values for the multinomial logit parameters of the row covariates. The default is NULL, producing random starting values.

<code>psitk</code>	A (TxK) matrix giving the starting values for the multinomial logit parameters of the column covariates. The default is NULL, producing random starting values.
<code>S</code>	Number of row-covariates. The default is NULL.
<code>T</code>	Number of column-covariates. The default is NULL.
<code>row.weights</code>	Row weights for weighted least squares method. The default is NULL.
<code>col.weights</code>	Column weights for weighted least squares method. The default is NULL. If both <code>row.weights</code> and <code>col.weights</code> are NULL and "ls" method is chosen, then ordinary least squares is used.
<code>tolG</code>	A tolerance value for judging when convergence has been reached. It is based on the estimated likelihood ratio statistics G2. The default is $1e-10$.
<code>tolA</code>	A tolerance value for judging when convergence has been reached. When the one-iteration change in the maximum of the absolute value of the element wise difference of the estimated matrices A is less than <code>tolA</code> . The default is $1e-05$.
<code>tolB</code>	A tolerance value for judging when convergence has been reached. When the one-iteration change in the maximum of the absolute value of the element wise difference of the estimated matrices B is less than <code>tolB</code> . The default is $1e-05$.
<code>itmax.unide</code>	Maximum number of iterations performed by the mle or ls method, if convergence is not achieved, before identification parameters. The default is 1e3.
<code>itmax.ide</code>	Maximum number of iterations performed by the mle or ls method in the identification process. Is used too when the constrained fixed, equality and logit are required. The default is 1e3.
<code>trace.lba</code>	Logical, indicating whether the base function <code>optim</code> and <code>constrOptim.nl</code> from package alabama , will trace their results. The default is TRUE.
<code>toltype</code>	String indicating which kind of tolerance to be used. That is, the EM algorithm stops updating and considers the maximum log-likelihood to have been found. Their types are: "all" when the one-iteration change in the estimated likelihood ratio statistics G2 is less than <code>tolG</code> , and the one-iteration change in the maximum of the absolute value of the element wise difference of the estimated matrices A is less than <code>tolA</code> and the same for estimated matrices B with respect to <code>tolB</code> ; "G2" when the only one-iteration change in the estimated likelihood ratio statistics G2 is less than <code>tolG</code> ; "ab" when only the one-iteration change in the maximum of the absolute value of the element wise difference of the estimated matrices A is less than <code>tolA</code> and the same for estimated matrices B with respect to <code>tolB</code> . <code>toltype</code> works only for <code>method = "mle"</code> . The default is "all". The ls method uses only "ab" as tolerance limit.
<code>method</code>	String indicating which kind of estimating method. They are: "ls" when least squares, either weighted or ordinary, method is used; "mle" when maximum likelihood method is used. The default is "ls".
<code>what</code>	String indicating which kind identified solutions for mixing parameters and latent budgets matrices. They are: the "inner" extreme solution and the "outer" extreme solution. The default is "inner".
<code>...</code>	Potential further arguments (required by generic).

Value

The method `lba.ls` and `lba.mle` returns a list of class `lba.ls` and `lba.mle` respectively with the slots:

<code>P</code>	The compositional data matrix which is formed by dividing the raw data matrix by their corresponding total, its rows are called observed budgets.
<code>pij</code>	Matrix whose rows are the expected budgets.
<code>residual</code>	Residual matrix $P - pij$.
<code>A</code>	($I \times K$) matrix of the unidentified the mixing parameters.
<code>B</code>	($J \times K$) matrix of the unidentified the latent components.
<code>Aoi</code>	($I \times K$) matrix of the identified mixing parameters, they may be either the inner extreme values or the outer extreme values.
<code>Boi</code>	($J \times K$) matrix of the identified latent components, they may be either the inner extreme values or the outer extreme values.
<code>rescB</code>	($J \times K$) matrix of the rescaled latent components.
<code>pk</code>	Budget proportions.
<code>val_func</code>	Value of least squared or likelihood function achieved.
<code>iter_unide</code>	Number of unidentified iterations.
<code>iter_ide</code>	Number of identified iterations.

The method `lba.ls.fe` and `lba.mle.fe` returns a list of class `lba.ls.fe` and `lba.mle.fe` respectively with the slots:

<code>P</code>	The compositional data matrix which is formed by dividing the raw data matrix by their corresponding total, its rows are called observed budgets.
<code>pij</code>	Matrix whose rows are the expected budgets.
<code>residual</code>	Residual matrix $P - pij$.
<code>A</code>	($I \times K$) matrix of the unidentified the mixing parameters.
<code>B</code>	($J \times K$) matrix of the unidentified the latent components.
<code>pk</code>	Budget proportions.
<code>val_func</code>	Value of least squared or likelihood function achieved.
<code>iter_ide</code>	Number of identified iterations.

The method `lba.ls.logit` and `lba.mle.logit` returns a list of class `lba.ls.logit` and `lba.mle.logit` respectively with the slots:

<code>P</code>	The compositional data matrix which is formed by dividing the raw data matrix by their corresponding total, its rows are called observed budgets.
<code>pij</code>	Matrix whose rows are the expected budgets.
<code>residual</code>	Residual matrix $P - pij$.
<code>A</code>	($I \times K$) matrix of the unidentified the mixing parameters.
<code>B</code>	($J \times K$) matrix of the unidentified the latent components.

pk	Budget proportions.
val_func	Value of least squared or likelihood function achieved.
iter_ide	Number of identified iterations.
omsk	A (SxK) matrix giving estimated values of the multinomial logit parameters of the row covariates.
psitk	A (TxK) matrix giving the estimated values for the multinomial logit parameters of the column covariates.

Note

The user has two options to entry the data: the raw data and tabulated data. If the raw data is imported, he may indicate which, among the variables, comprises the row and which the column variable and let the `lba.formula` function make the tabulation. The user may also tabulate the data with the available functions in R. Recalling that if this second option is used, the object must be of the class `xtabs`, `table` or `matrix`. If the user imports the tabulated data, the class is, in general, `data.frame` and so, it is necessary to transform the object data into a `matrix`.

The function `lba` uses EM algorithm to maximise the latent budget model log-likelihood function; the Active Constraints Methods (ACM) to minimise either the weighted least squares (wls), or ordinary least squares (ols) functions; and "BFGS" variable metric method in `constrOptim.nl` function of **alabama** package and in `optim` function of **stats** package used in identification for $K \geq 3$, in constraint algorithm for ls method, in multinomial logit constraints and in some parts of constraining for mle method. Depending on the starting parameters, those algorithms may only locate a local, rather than global, maximum. This becomes more and more of a problem as K , the number of latent budgets, increases. It is therefore highly advisable to run `lba` multiple times until you are relatively certain that you have located the global maximum log-likelihood or the global minimum least squares.

References

- Agresti, Alan. 2002. *Categorical Data Analysis, second edition*. Hoboken: John Wiley & Sons.
- de Leeuw, J., and van der Heijden, P.G.M. 1988. "The analysis of time-budgets with a latent time-budget model". In E. Diday (Ed.), *Data Analysis and Informatics V*. pp. 159-166. Amsterdam: North-Holland.
- de Leeuw, J., van der Heijden, P.G.M., and Verboon, P. 1990. "A latent time budget model". *Statistica Neerlandica*. 44, 1, 1-21.
- Dempster, A.P., Laird, N.M., and Rubin, D.B. 1977. "Maximum likelihood from incomplete data via the EM algorithm". *Journal of the Royal Statistical Society, Series*. 39, 1-38.
- van der Ark, A.L. 1999. *Contributions to Latent Budget Analysis, a tool for the analysis of compositional data*. Ph.D. Thesis University of Utrecht.
- van der Heijden, P.G.M., Mooijaart, A., and de Leeuw, J. 1992. "Constrained latent budget analysis". In P.V. Marsden (Ed.), *Sociological Methodology* pp. 279-320. Cambridge: Blackwell Publishers.

See Also

[goodnessfit](#), [summary.lba](#), [plot.lba](#)

Examples

```

data('votB')

# Using LS method (default) without constraint
# K = 2
ex1 <- lba(city ~ parties,
           votB,
           K = 2)
ex1

# Already tabulated data? Ok!
data('PerfMark')

ex2 <- lba(as.matrix(PerfMark),
           K = 2,
           what='outer')
ex2

# Using LS method (default) with constraint
# Fixed constraint to mixing parameters
cakiF1 <- matrix(c(0.2, NA, NA,
                  NA , NA,0.2,
                  NA , NA,0.2,
                  0.3, NA, NA,
                  0.2, NA, NA,
                  NA , NA, NA),
                byrow = TRUE,
                ncol = 3)

# K = 3
exf1 <- lba(city ~ parties,
            votB,
            cA = cakiF1,
            K = 3)
exf1

```

MANHATAN

The Midtown Manhattan Study

Description

The MANHATAN data frame has 25 rows and 3 columns. The observations were obtained in a study carried out by the sociologist Leo Srole and describe the cross-classification of 1660 adults in Manhattan, ages 20-59, obtained from a sample of midtown residents.

Usage

MANHATAN

Format

This data frame contains the following columns:

health A factor with levels: Well; Misy; Mosy; Imp.

socecon A factor with levels: A; B; C; D; E; F.

value The absolute frequencies of which factor.

Source

Goodman, L. A. (1987) New Methods for Analysing the Intrinsic Character of Qualitative Variables Using Cross-Classified Data. *American Journal of Sociology* **93**, 529–583.

References

van der Ark, A. L. 1999. *Contributions to Latent Budget Analysis, a tool for the analysis of compositional data*. Ph.D. Thesis University of Utrecht.

 PerfMark

BEAUTY SALON MANAGEMENT

Description

The PerfMark data frame has 31 rows and 46 columns. The data set is the result of a survey of 47 beauty salons located at the city of Lavras, Brazil, consisting of two types of questions; the first identifies the profile of the owner manager (explanatory variable), the second are questions referring to the degree of professionalism with respect to planing, market and finances (response variable). The data set is already cross-tabulated.

Usage

PerfMark

Format

This data frame contains the following columns referring the absolute frequencies to each row variable:

Planning variables:

PA14 What is the dependence of the owner to function properly?.

PA20 What are your plans towards next year? only a dream.

PA21 What are your plans towards next year? vague goals. Marketing variables:

MA11 Your business tries to systematically assess the customer satisfaction and use that as a basis for management decisions. Alternative 1.

MA12 Your business tries to systematically assess the customer satisfaction and use that as a basis for management decisions. Alternative 2.

MA20 Your business offers more than the usual services. Alternative 0.

- MA21** Your business offers more than the usual services. Alternative 1.
- MA30** Your business is focused to further customer loyalty. Alternative 0.
- MA31** Your business is focused to further customer loyalty. Alternative 1.
- MA32** Your business is focused to further customer loyalty. Alternative 2.
- MA42** What is the proportion, among current customers, of those who are customers for more than 6 months. Alternative 2.
- MA43** What is the proportion, among current customers, of those who are customers for more than 6 months. Alternative 3.
- MB12** Your business offers more services than when it began. Alternative 2.
- MB22** How is your business quality perceived as compared to the competition? Alternative 2.
- MB23** How is your business quality perceived as compared to the competition? Alternative 3.
- MB31** How is your business range of services perceived as compared to the competition? Alternative 1.
- MB32** How is your business range of services perceived as compared to the competition? Alternative 2.
- MC11** What is your business level of prices perceived as compared to the competition? Alternative 1.
- MC12** What is your business level of prices perceived as compared to the competition? Alternative 2.
- MD13** Your business location is perceived as appropriate to the target market. Alternative 3.
- ME10** Your business uses formal media to advertise itself. Alternative 0.
- ME11** Your business uses formal media to advertise itself. Alternative 1.
- ME25** Your business uses formal media to advertise itself. Alternative 5. Financial variables:
- F10** Your business clearly separates the owner bills from the business bills. Alternative 0.
- F14** Your business clearly separates the owner bills from the business bills. Alternative 4.
- F20** Your owners withdrawal are planned and controlled in advance. Alternative 0.
- F21** Your owners withdrawal are planned and controlled in advance. Alternative 1.
- F24** Your owners withdrawal are planned and controlled in advance. Alternative 4.
- F31** Your business pays for its purchases in installments. Alternative 1.
- F34** Your business pays for its purchases in installments. Alternative 4.
- F42** Your business knows today whether it will be able to pay its short-term bills of 60 days. Alternative 2.
- F44** Your business knows today whether it will be able to pay its short-term bills of 60 days. Alternative 4.
- F50** Your business uses short-term cash-flow analysis to plan for its short-term bills. Alternative 0.
- F51** Your business uses short-term cash-flow analysis to plan for its short-term bills. Alternative 1.
- F63** Your business has formal control of the monthly amount it makes from its services. Alternative 3.

- F64** Your business has formal control of the monthly amount it makes from its services. Alternative 4.
- F70** Your business uses either credit card, checkbook payment or loans, to finance its needs for working capital. Alternative 0.
- F74** Your business uses either credit card, checkbook payment or loans, to finance its needs for working capital. Alternative 4.
- F80** Your business uses specific credit to finance its needs for capital. Alternative 0.
- F91** The company demonstrates knowledge to properly assess the costs of products used in services and costs of renting and taxes. Alternative 1.
- F93** The company demonstrates knowledge to properly assess the costs of products used in services and costs of renting and taxes. Alternative 3.
- F100** Your business clearly identifies the need for working capital. Alternative 0.
- F111** Your business lays down the price of services in a systematic way. Alternative 1.
- F113** Your business lays down the price of services in a systematic way. Alternative 3.
- F120** The company calculates the interest on contracted loans. Alternative 0.
- F125** The company calculates the interest on contracted loans. Alternative 5.

Source

Jelihovschi, E.G., Alves, R.R., and Correa, F.M. 2011. *Interacting latent budget analysis and correspondence analysis to analyze beauty salon management data*. Biometric Brazilian Journal, 29, 657-673.

References

van der Ark, A. L. 1999. *Contributions to Latent Budget Analysis, a tool for the analysis of compositional data*. Ph.D. Thesis University of Utrecht.

plot.lba

Plot lba objects

Description

S3 methods for lba objects. It's possible two types of visualisation: the lba type, suggested by van der Ark (1999) and correspondence analysis suggested by Jelihovschi (2011).

Usage

```
## S3 method for class 'lba'
plot(x,
      budget.prop = TRUE,
      col.points = NULL,
      col.lines = NULL, # only to K = 2
      col.budget = NULL,
```



```

pch.points = NULL,
pch.budget = NULL,
lty.lines  = NULL,# only to K = 2
lty.budget = NULL,
lwd.lines  = NULL,# only to K = 2
lwd.budget = NULL,
legend     = TRUE,
with.ml    = c('mix','lat'),
type      = c("lba","corr"),
...)
```

Arguments

x	A object of lba class.
budget.prop	A line representing the budget proportion. The default is TRUE.
col.points	A vector of colours representing the mixing parameters and latent components. The default is NULL.
col.lines	A vector of colours representing the mixing parameters and latent components. Only to K = 2. The default is NULL.
col.budget	A vector of colour representing the budget proportion. The default is NULL.
pch.points	A vector of plotting characters or symbols representing the mixing parameters and latent components. The default is NULL.
pch.budget	A vector of plotting characters or symbols representing the budget proportion. The default is NULL.
lty.lines	A vector of line types representing the mixing parameters and latent components. Only to K = 2. The default is NULL.
lty.budget	A vector of line types representing the budget proportion. The default is NULL.
lwd.lines	A vector of line width representing the mixing parameters and latent components. The default is NULL.
lwd.budget	A vector of line width representing the budget proportion. The default is NULL.
legend	A logical indicating whether a legend should be included. The default is NULL.
with.ml	What's parameters do you like to plot? The default is mixing parameters ('mix').
type	The type of options graphical. The default is 'lba'. See details.
...	Optional plotting parameters.

Details

Plot.lba plots two types of graphics. The first, (type = 'lba'), is the one suggested at de Leeuw et al (1990) and at van der Ark (1999) thesis. In this type, it is only possible the graphical views for K = 2 and K = 3. When K = 2, the heads of the latent budgets are be connected by a (one dimensional) line segment. When K = 3, the heads of the latent budgets are the vertices of a triangle, and the plot is made with help of triax.plot function of **plotrix** package. In the second type, plot.ca, suggested at Jelihovschi et al (2011), the graphical display is made by making use of correspondence analysis graphics of the mixing parameters and latent components matrices. This is done with the function ca of **ca** package. In this case, a graphic display is possible for K >= 3.

Author(s)

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 Ivan Bezerra Allaman (<ivanalaman@gmail.com>)

References

de Leeuw, J., van der Heijden, P.G.M., and Verboon, P. 1990. "A latent time budget model". *Statistica Neerlandica*. 44, 1, 1-21.

Jelihovschi, E.G., Alves, R.R., and Correa, F.M. 2011. *Interacting latent budget analysis and correspondence analysis to analyze beauty salon management data*. *Biometric Brazilian Journal*, 29, 657-673.

van der Ark, A. L. 1999. *Contributions to Latent Budget Analysis, a tool for the analysis of compositional data*. Ph.D. Thesis University of Utrecht.

See Also

[triax.plot](#), [triax.points](#), [plot.ca](#).

Examples

```
data('votB')
ex1 <- lba(city ~ parties,
           data=votB,
           K = 2)
plot(ex1)

# It's very simple. with colors!
plot(ex1,
      col.points=1:6,
      col.lines=1:6)

# I don't want your output. I want to provide my values and to use only your graphics. Ok!!!!
# Example: pag. 34, inner extreme solution
k1 <- c(.16,.68,.06,.45,.54,.30,.00,.45,1 ,.19,.62,.68,.57,.50,.30,
        .88,.46,.09,.62,.26,.53,.47,.58,.09,.26,.40,.70,.16,.71,.32)
k2 <- c(.84,.32,.94,.55,.46,.7 , 1,.55,.00,.81,.38,.32,.43,.50,.7,
        .12,.54,.91,.38,.74,.47,.53,.42,.91,.74,.60,.30,.84,.29,.68)
my_mixing <- cbind(k1,k2)
rownames(my_mixing) <- paste(rep(c('H','C','R','Q','T','N','Se','Sk','L','V'),
                                rep(3,10)),
                             c('+','=','-' ),
                             sep = '|')

my_budget <- matrix(c(.43,.57),
                   ncol=2)

colnames(my_budget) <- paste('LB',1:2,sep='')

my_data <- list(NA,
               NA,
```

```

        NA,
        NA,
        NA,
        my_mixing,
        NA,
        NA,
        my_budget)
class(my_data) = 'lba'

# I didn't like. I want equal of book. Pag. 41.

l_points <- c(2,24,17,
             rep(3,3),
             6,6,25,
             rep(4,3),
             1,16,21,
             rep(11,3),
             5,5,23,
             rep(8,3),
             rep(9,3),
             rep(13,3))

my_colors <- rep(c('red','blue','black'),
                10)

plot(my_data,
     pch.points = l_points,
     col.points = my_colors,
     lty.budget = 2,
     pch.budget = 7,
     legend = FALSE)
legend(-0.1,
      1.2,
      rownames(my_mixing),
      pch = l_points,
      col = my_colors,
      xpd = TRUE,
      cex = 0.8,
      ncol = 10) # Is beautiful!!

```

```
print.goodnessfit      Print Method for goodnessfit objects.
```

Description

Returns (and prints) a summary list for goodnessfit objects.

Usage

```
## S3 method for class 'goodnessfit'
print(x, digits = 2L, ...)
```

Arguments

x	A given object of the class <code>goodnessfit.lba.ls</code> and <code>goodnessfit.lba.mle</code> .
digits	Number of decimal digits in the results.
...	Potential further arguments (require by generic).

Author(s)

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See Also

[goodnessfit](#)

Examples

```
data('votB')

# Using LS method (default) without constraint
# K = 2
ex1 <- lba(city ~ parties,
           votB,
           K = 2)
exm <- goodnessfit(ex1)
exm
```

summary.lba

Summary Method for lba objects.

Description

Returns (and prints) a summary list for objects of class `lba`, `lba.ls.fe`, `lba.mle.fe`, `lba.ls.logit` and `lba.mle.logit`.

Usage

```
## S3 method for class 'lba'
summary(object, digits = 2L, ...)
```

Arguments

object	A given object of the class <code>lba</code> , <code>lba.ls.fe</code> , <code>lba.mle.fe</code> , <code>lba.ls.logit</code> and <code>lba.mle.logit</code> .
digits	Number of decimal digits in the results.
...	Potential further arguments (require by generic).

Author(s)

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See Also

[lba](#)

Examples

```
data('votB')

# Using LS method (default) without constraint
# K = 2
ex1 <- lba(city ~ parties,
           votB,
           K = 2)
summary(ex1)
```

votB

Voting Behaviour in Netherlands

Description

The votB data frame has 8971 rows and 2 columns. The raw data refers to the type of the city and the political party which each participant voted for in the 1986 general elections in the Netherlands.

Usage

```
votB
```

Format

This data frame contains the following columns:

city A factor with levels: co Commuter; lx Large city; mc Middle large city; ri Rural industrialised; ru Rural; sc Small city.

parties A factor with levels: cda Christian democrats; d66 Democrats; left Other left-wing parties; Pvda Labor party; right Other right-wing parties; vvd Liberals.

Source

Statistics Netherlands (1987). Statistiek der verkiezingen 1986. Tweede Kamer der Staten-Generaal 21 mei 1996. [Statistics of the elections of the Lower House, May 21-th 1996]. The Hague: Staatsuitgeverij.

References

van der Ark, A. L. 1999. *Contributions to Latent Budget Analysis, a tool for the analysis of compositional data*. Ph.D. Thesis University of Utrecht.

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